



University of Technology
Laser & Optoelectronics Eng. Dept.
Final Exam 2011/2012



Subject: Optical Design
Branch: Optoelectronics
Examiner: Dr. Mohamed Saleh Ahmed

Class: 4th year
Time: 3 hr
Date: 7-6-2012

Attempt four questions only

Q.1.a- Drive a formula for the longitudinal chromatic aberration for a thin positive lens of index μ in air. (15)

b- Starting up with a Taylor's series, put down the wave aberration polynomial for a rotationally symmetric optical system. (10)

Q.2.a- What is meant by the sine condition. Put down all the appropriate formulae. (15)

b- Draw a diagram showing two systems in tandem for achieving pupil matching. (10)

Q.3.a- Drive formulae expressing the relation between wave and transverse ray aberrations. (15)

b- If the spherical aberration of an optical system is 0.2λ for full aperture, what would it be when the aperture is reduced by 50%. (10)

Q.4.a- What is the significance of the Y parameter, illustrate that diagrammatically. (15)

b- Given two identical thin positive lenses and a diverging one. How is it possible to use all of them to obtain a laser beam expander. (10)

Q.5. Suppose an optical system with $f = +5\text{cm}$, find the position and size of the image formed of an object 2.5 cm in high which is located 20 cm to the left of the first focal point of the system. (25)



الاجابة - نموذجك للنسب (1)
 نفهم موقفك/المشكلة/الم
 و جرحنا! ام

Q.1 a- $C_L = Ah \Delta(\frac{\partial n}{\partial \mu})$, where $A_1 = hc_1 - u_1$ and $A_2 = hc_2 - u_2$
 and $hK = u_2 - u_1$ and $K = (\mu_1 - \mu_2) (c_1 - c_2)$

[25]

$\Sigma C_L = \frac{h^2 K}{V}$ where $V = \frac{\mu - 1}{\partial \mu}$

b- $W = W(\sigma, \tau; X, Y)$
 $W = a_{0000} + a_{1000}\tau + a_{0100}X + a_{0001}Y + a_{1100}\sigma\tau + a_{1010}\sigma X$
 $+ a_{0110}\tau X + a_{0101}\tau Y + a_{0011}XY + D(3)$
 $(\sigma X + \tau Y), X^2 + Y^2, \sigma^2 + \tau^2$
 $W = W(\tau^2 + \tau^2, X^2 + Y^2, \sigma X + \tau Y)$
 $W = W(\tau^2, X^2 + Y^2, \tau Y)$
 $\text{or } W = W(\tau^2, r^2, \tau r \cos \phi)$
 $W = \sum_i \sum_j \sum_k (2i+k) W_{(2i+k), k} (\tau^2)^i (r^2)^j (\tau r \cos \phi)^k$
 $\text{and } W_{m, n} \text{ where } i, j, k \text{ run } 0, 1, 2, \dots$

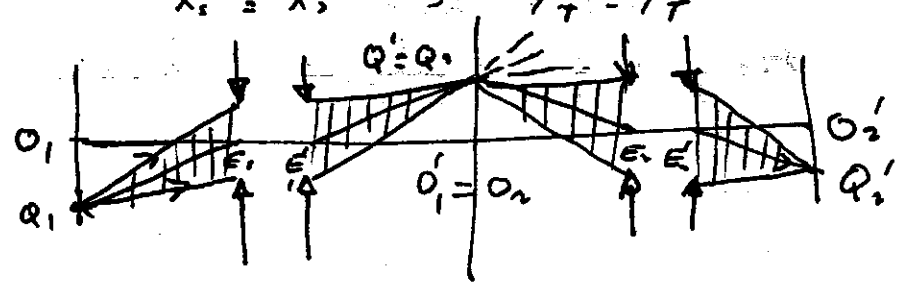
Q.2 a. The sine condition is satisfied when $\frac{\sin U}{n'} = \frac{\sin U}{n}$

(15)

or $Y' = Y$
 $X'_s = X_s$ $Y'_T = Y_T$

[25]

b-



(10)

Q.3 a- $W = n'(R'_\lambda B')$
 $W = n'(\bar{R}'_\lambda \bar{B}')$

(15)

Now $(B'Q')^2 = (\bar{R}' - \frac{W}{n'})^2 = (X')^2 + (Y' - \bar{y})^2 + (Z' - D')^2$

[25]

$\frac{X' - \delta \xi'}{X' + \frac{\bar{R}'}{n'} \frac{\partial W}{\partial X'}} = \frac{Y' - (\bar{y}' + \delta y')}{Y' - \bar{y}' + \frac{\bar{R}'}{n'} \frac{\partial W}{\partial Y'}} = 1$

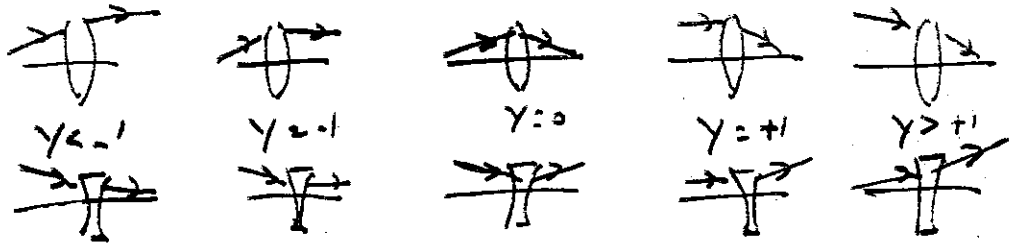
$\delta \xi' = -\frac{\bar{R}'}{n'} \frac{\partial W}{\partial X'}$ $\delta y' = -\frac{\bar{R}'}{n'} \frac{\partial W}{\partial Y'}$

(10)

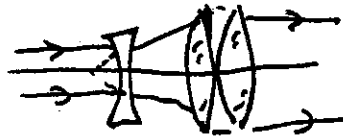
b $W = 0.0625 \lambda^4$ $(\dots) = (0.2 \lambda)(0.0625) = 0.0125 \lambda$

Q.4 or $Y = \frac{x' + u}{x' - u} = \left[\frac{1}{1K} \right] (x' - u)$

[25]



b/



Q.5

$$x' = \frac{-f^2}{x} = \frac{-5^2}{-20} = +1.25, \quad m = \frac{h'}{h} = \frac{f}{x} = \frac{5}{-20} = -0.25$$

[25]

$$h' = mh = (-0.25)(2.5) = -0.625 \text{ cm}$$

or

$$\frac{1}{s'} = \frac{1}{f} + \frac{1}{s} = \frac{1}{5} + \frac{1}{(-25)} = 0.2 + (-0.04) = 0.16$$

$$s' = 6.25 \text{ cm}$$

$$m = \frac{h'}{h} = \frac{s'}{s} = \frac{6.25}{-25} = -0.25, \quad h' = mh = (-0.25)(2.5) = -0.625 \text{ cm}$$