



University of Technology
Department of Laser & Opto-electronic Engineering
Final Examination 2011-2012

Subject: Semiconductor Devices

Division: Laser Eng.

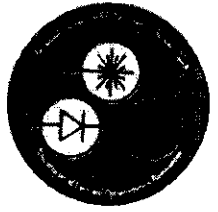
Examiner: Asis.Prof.Dr.Mohammed A.Mahdi

Answer five questions only

Class: 3rd year

Time: 3 hours

Date: 7 / 6 / 2012



Q1/ Let $T=300K$. Determine the probability that an energy level $3KT$ above the Fermi energy is occupied by an electron. (20 mark)

Q2/ Prove that:

$$D = \frac{kT}{q} \mu$$

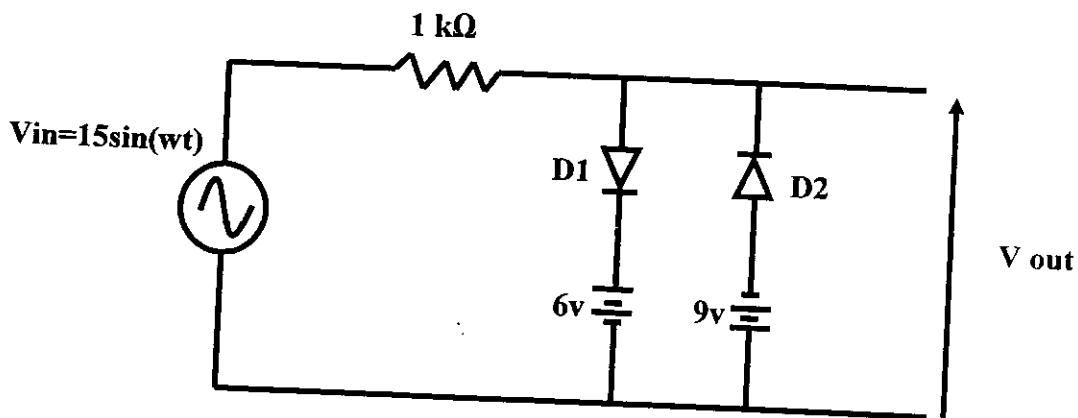
Where : **D**: diffusion constant.

k: Boltzmann constant.

T: temperature.

q: charge of electron.

Q3/ Draw the output voltage waveform were D1 & D2 are ideal: (20 mark)



Q4/ A copper wire 19m long and cross sectional area of 0.5 mm^2 has resistance equal 0.34Ω . Calculate the conductivity for copper. The mobility of electrons and number of collision of the electrons in one second. Given that free electron concentration is $8.5 \times 10^{28} \text{ electron/m}^3$. (20 mark)

Q5/ / Prove that (20 mark)

$$V_B = V_T \ln \left(\frac{N_D N_A}{n_i^2} \right)$$

Where: **V_B** : potential barrier.

V_T : Volt-equivalent of temperature.

N_D : Donor electrons concentration.

N_A : Acceptor holes concentration.

n_i : intrinsic electron concentration.

(20 mark)

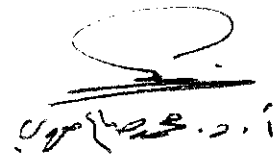
(2-1)

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Q6/ The atomic weight of Ge is **72.6 gm/mol** and density is **5.32 gm/cm³**.
Find:

- 1-** The resistivity of intrinsic Ge at **300K**.
- 2-** If a donor type of impurity is added with doping level of **10⁻⁸** find the new resistivity of the sample. Knowing that the intrinsic concentration = **2.5 × 10¹³ cm⁻³**, Mobility of hole = **1800 cm²/v.s**, and the mobility of electron = **3800 cm²/v.s**. **(20 mark)**

Good luck



أشرف السيد

(2-2)

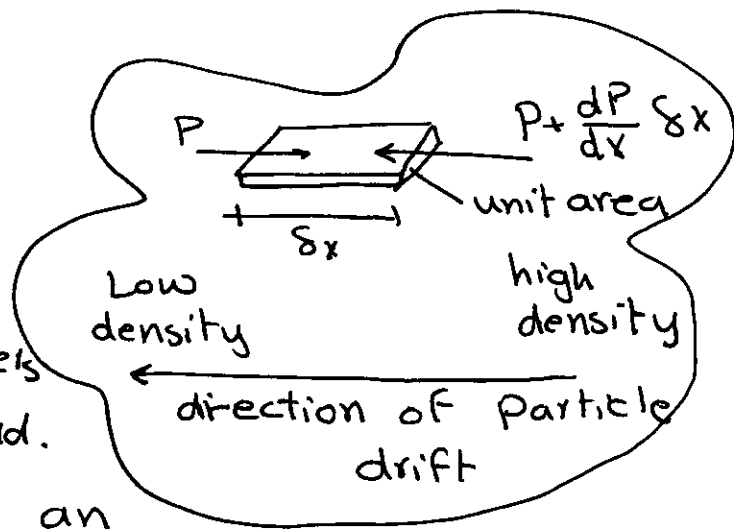
Q1/

$$F_f(E) = \frac{1}{1 + e^{\frac{E - E_f}{kT}}}$$

$$= \frac{1}{1 + \exp\left(\frac{3kT}{kT}\right)}$$

$$= \frac{1}{1 + 20.9} = 0.047 = 4.7\%$$

Q2/ a current will exist in a material because of v_D imposed on all current carriers by an external electrical field. current also exist without an



external field if there is an unequal concentration of charge carriers within a material. Let us first consider an example of this in a gas of neutral particles, a molecular gas container filled with gas in which the pressure is greater to the right than to the left. Suppose the pressure gradient exists in the x -direction only. imagine a volume of molecules of length Δx and unit cross-sectional area.

The force on left-hand face of the cylinder is P_1 and the right-hand face $P_2 + (dP/dx) \delta x$, where P is the pressure. Thus the overall force on the cylinder is

$-\left(\frac{dP}{dx}\right) \delta x$ to the right. If there are N molecules per unit volume, then the total number in the cylinder is $N \delta x$. The average force per molecule is therefore.

$$\frac{-\frac{dP}{dx} \delta x}{N \delta x} = -\frac{dP}{dx} \quad \text{this force also results in}$$

drift velocity v_D . The argument now closely parallels the one used for calculating mobility except that the above force replaces the electric field force $-eE$.

if τ is mean free time between collision.

$$v_D = \frac{\tau}{2mN} \cdot \frac{dP}{dx} \quad \text{--- (1)}$$

Now for any gas having N molecules per unit volume at temperature T , Kinetic theory gives:-

$$P = NKT$$

K : Boltzmann constant

$$dP = KT dN$$

Substituting in (1)

$$v_D = -\frac{\tau KT}{2mN} \frac{dN}{dx} \quad \text{--- (2)}$$

the constant is called the diffusion constant D

$$D = \frac{\tau KT}{2m}$$

$$\text{and } v_D = -\frac{D}{N} \frac{dN}{dx}$$

there is a relation between the mobility of gas of charged particles and the diffusion constant of such a gas

$$D = \frac{\tau kT}{2m} \quad \text{and } \mu = \frac{q\tau}{2m}$$

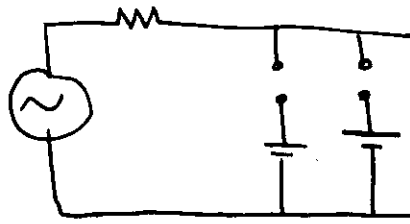
Q 3:1

$$V_{in} - V_{D1} - 6 = 0$$

$$V_{in} + V_{D1} + 9 = 0$$

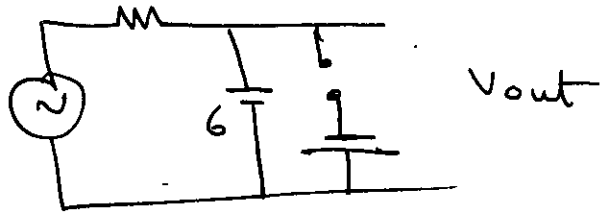
$$V_{D1} = V_{in} - 6$$

$$V_{in} = V_{out}$$



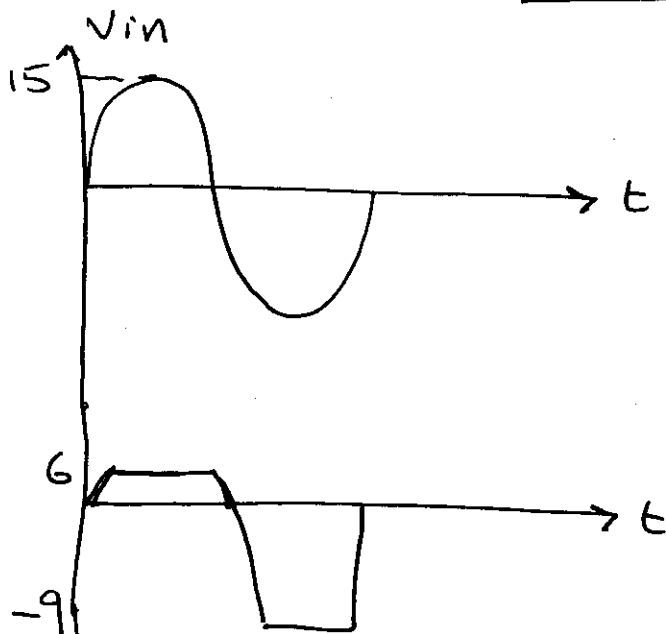
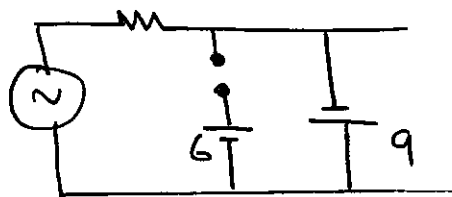
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$$V_{out} = 6V$$



*

$$V_{out} = -9$$



Q4/

$$L = 19 \text{ m}$$

$$A = 0.5 \text{ mm}^2$$

$$R = 0.34 \Omega$$

$$\omega = ?$$

$$\rho = R \frac{A}{L}$$

$$= 0.34 \frac{0.5 \times 10^{-6}}{19} = 8.94 \text{ n}(\Omega \cdot \text{m})$$

$$\omega = 0.112 \times 10^9 (\Omega \cdot \text{m})^{-1}$$

$$\mu_e = \frac{\omega}{Ne} = \frac{0.112 \times 10^9}{(8.5 \times 10^{28})(1.6 \times 10^{-19})}$$

$$\mu_e = 8.2 \times 10^{-3} \text{ m}^2/\text{V} \cdot \text{s}$$

No. of collision
of electron in
one seconds

$$= \frac{1}{\tau} = \frac{e}{2\mu_e m}$$

$$= \frac{1.6 \times 10^{-19}}{2(8.33 \times 10^{-3})(9.1 \times 10^{-31})}$$

$$= 4 \times 10^{13}$$

Q5/

$$n_n = n_p e^{V_B/V_T}$$

$$\frac{n_n}{n_p} = e^{V_B/V_T}$$

$$\ln\left(\frac{n_n}{n_p}\right) = \frac{V_B}{V_T}$$

$$n_p \cdot p_p = n_i^2$$

$$V_B = V_T \ln\left(\frac{n_n p_p}{n_i^2}\right)$$

$$n_n = N_D + n_i \quad \text{and} \quad p_p = N_A + p_i$$

$$N_A \gg p_i \quad \text{and} \quad N_D \gg n_i$$

$$\therefore n_n = N_D \quad \text{and} \quad p_p \approx N_A$$

$$\therefore V_B = V_T \ln \frac{N_A N_D}{n_i^2}$$

Q6/

$$\textcircled{1} \quad \sigma = n_i q (\mu_e + \mu_h) \\ = (2.5 \times 10^{23}) (1.6 \times 10^{-19}) (3800 + 1800)$$

$$\sigma = 0.0224 \text{ (}\Omega \cdot \text{m)}^{-1}$$

$$\sigma = 2.24 \text{ (}\Omega \cdot \text{m)}^{-1}$$

$$\rho = \frac{1}{\sigma} = 0.446 \text{ (}\Omega \cdot \text{m)}$$

$$\textcircled{2} \quad N_D = n \times 10^{-8} \\ = (4.4 \times 10^{28}) 10^{-8} = 4.4 \times 10^{20}$$

$$n = \frac{\text{Avo. no.} \times \text{density}}{\text{atomic weight}} \\ = \frac{6.02 \times 10^{23} \times 532}{72.6} \\ n = 4.4 \times 10^{28} \text{ m}^{-3}$$

$$\sigma_n = q N_D \mu_n \\ = (1.6 \times 10^{-19}) (4.4 \times 10^{20}) (3800 \times 10^{-4})$$

$$\sigma_n = 26.72 \text{ (}\Omega \cdot \text{m)}^{-1}$$

$$\rho = 0.037 \text{ (}\Omega \cdot \text{m)}$$