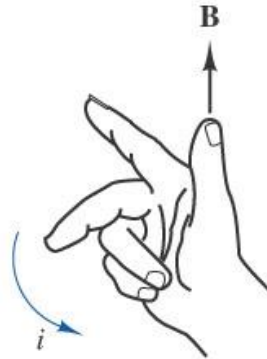
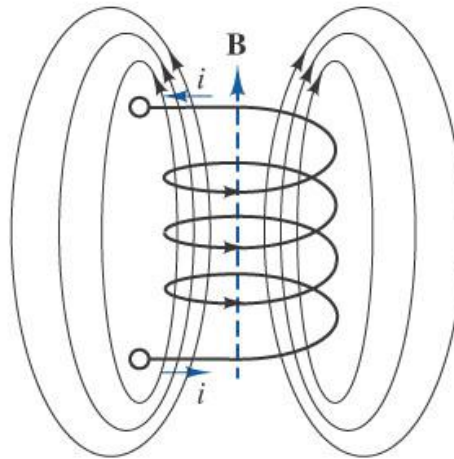


ELG2336: Magnetic Circuits

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Right-hand rule



Flux lines

Magnetic Circuit Definitions

- Magnetomotive Force
 - The “driving force” that causes a magnetic field
 - Symbol, \mathcal{F}
 - Definition, $\mathcal{F} = \mathcal{N}I$
 - Units, Ampere-turns, (A-t)

Magnetic Circuit Definitions

- Magnetic Field Intensity
 - mmf gradient, or mmf per unit length
 - Symbol, H
 - Definition, $\mathcal{H} = \mathcal{F}/\ell = \mathcal{N}I/\ell$
 - Units, (A-t/m)

Magnetic Circuit Definitions

- Flux Density
 - the concentration of the lines of force in a magnetic circuit
 - Symbol, B
 - Definition, $B = \Phi/A$
 - Units, (Wb/m^2), or T (Tesla)

Magnetic Circuit Definitions

- Reluctance
 - The measure of “opposition” the magnetic circuit offers to the flux
 - The analog of Resistance in an electrical circuit
 - Symbol, \mathcal{R}
 - Definition, $\mathcal{R} = F/\Phi$
 - Units, (A-t/Wb)

Magnetic Circuit Definitions

- Permeability
 - Relates flux density and field intensity
 - Symbol, μ
 - Definition, $\mu = B/H$
 - Units, (Wb/A-t-m)

Magnetic Circuit Definitions

- Permeability of free space (air)
 - Symbol, μ_0
 - $\mu_0 = 4\pi \times 10^{-7} \text{ Wb/A-t-m}$

Definitions Combined

Φ (Unit is Weber (Wb)) = Magnetic Flux Crossing a Surface of Area 'A' in m^2 .

B (Unit is Tesla (T)) = Magnetic Flux Density = Φ/A

H (Unit is Amp/m) = Magnetic Field Intensity = $\frac{B}{\mu}$

μ = permeability = $\mu_o \mu_r$

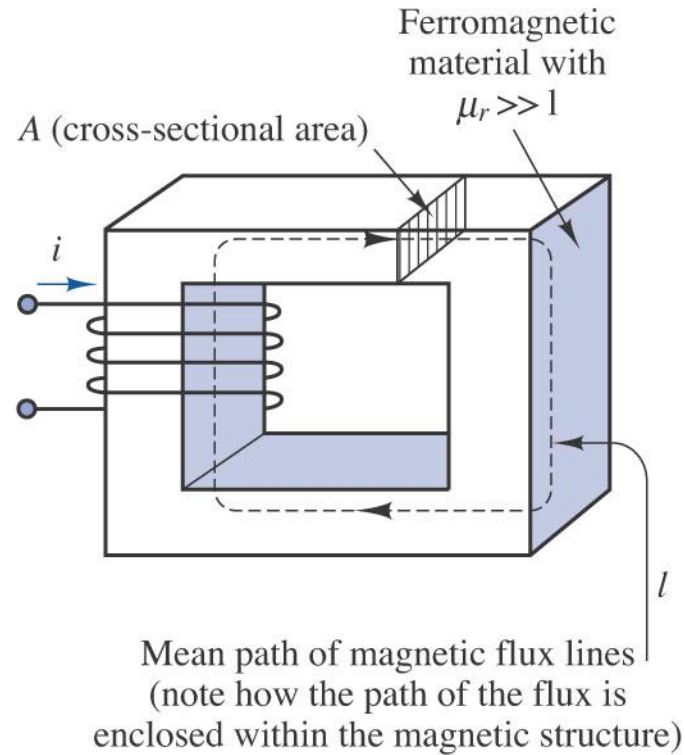
$\mu_o = 4\pi \cdot 10^{-7} \text{ H/m}$ ($\text{H} \Rightarrow \text{Henry}$) = Permeability of free space (air)

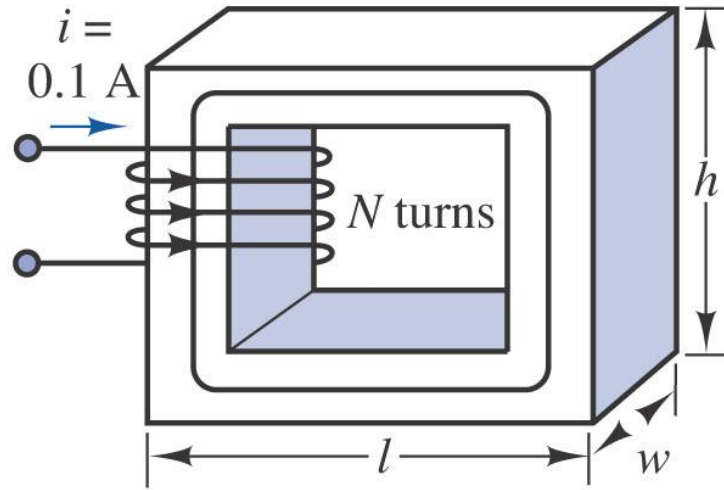
μ_r = Relative Permeability

$\mu_r \gg 1$ for Magnetic Material

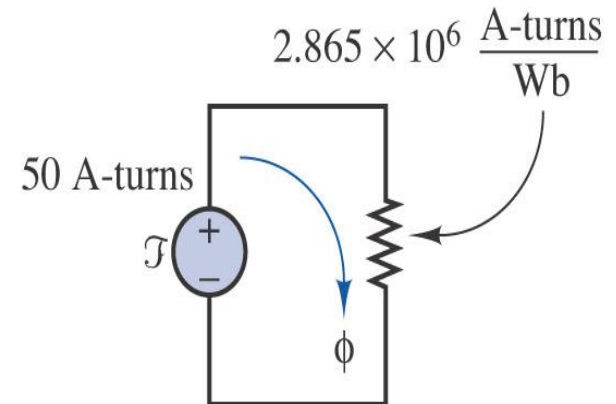
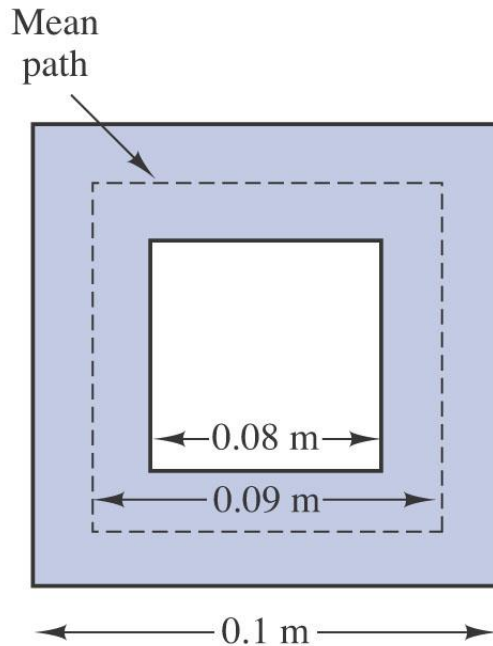
Magnetic Circuit

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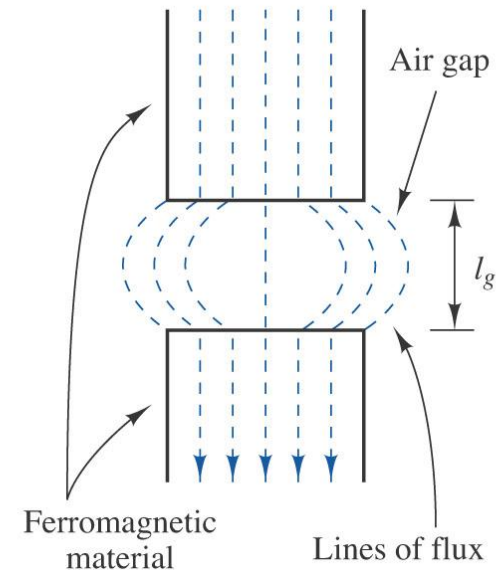
$$l = 0.1 \text{ m}, h = 0.1 \text{ m}, w = 0.01 \text{ m}$$

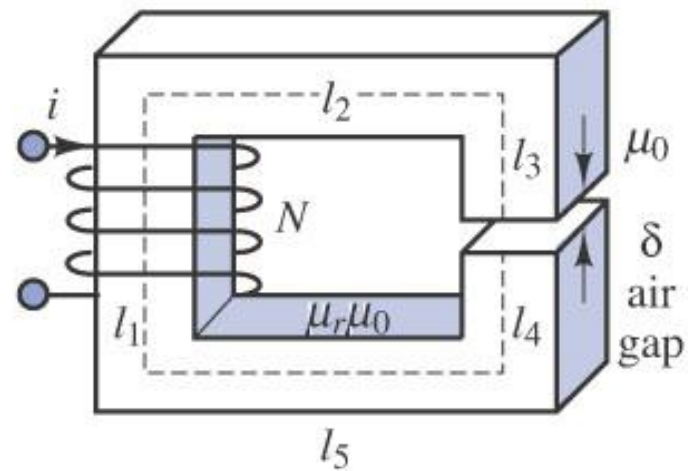


Air Gaps, Fringing, and Laminated Cores

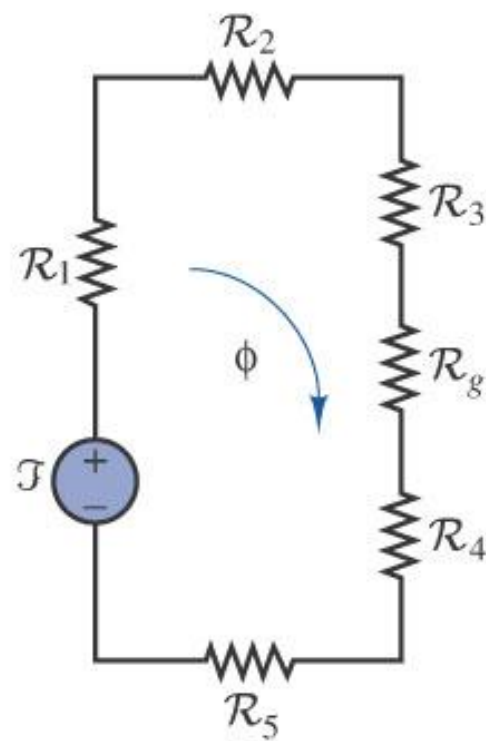
- Circuits with air gaps may cause fringing
- Correction
 - Increase each cross-section dimension of gap by the size of the gap
- Many applications use laminated cores
- Effective area is not as large as actual area

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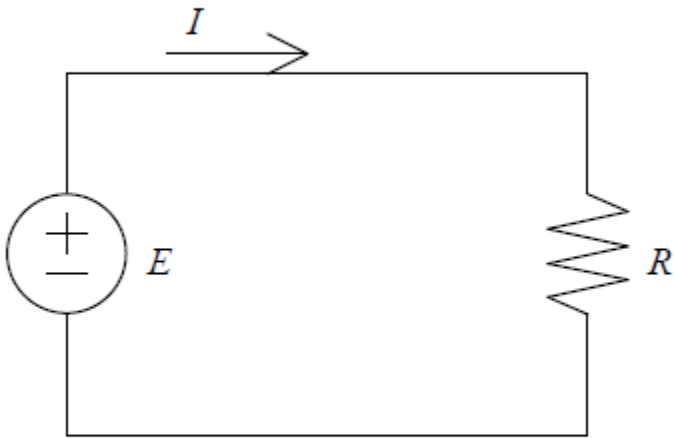
(a)



(b)

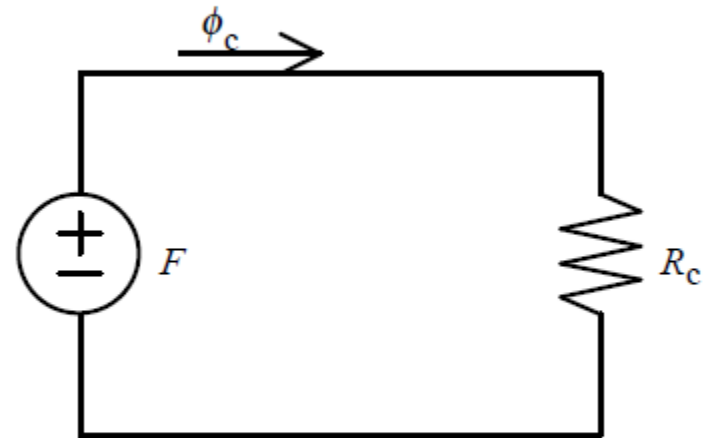
Electric and Magnetic Circuits

Electric Circuit



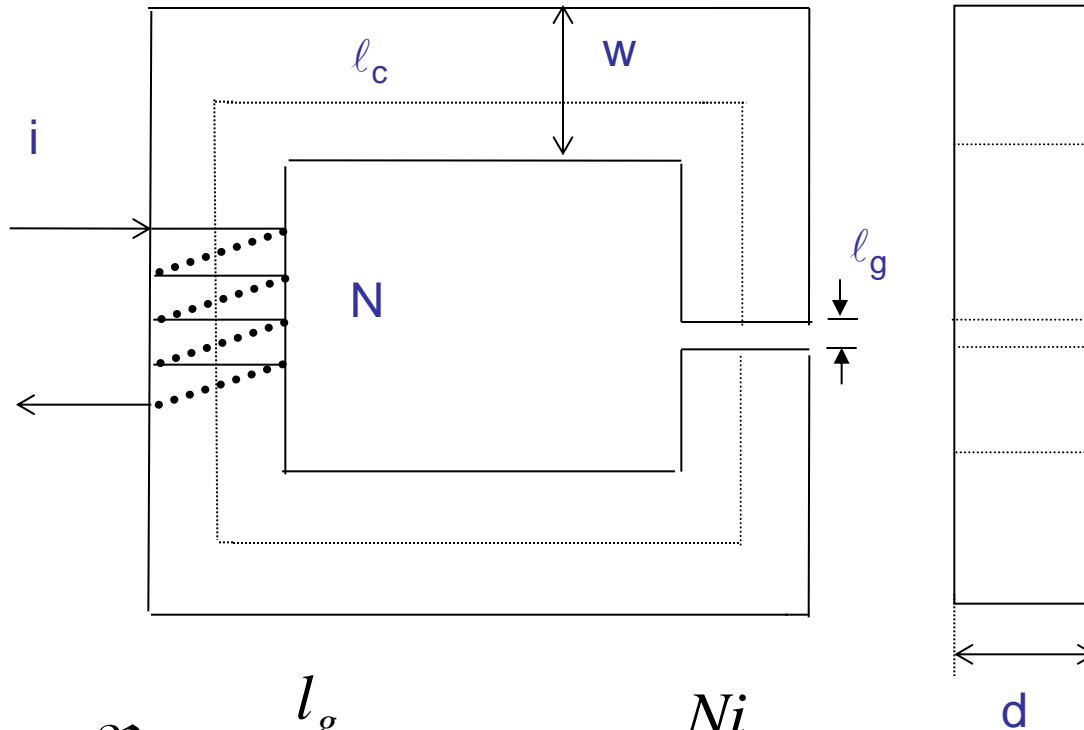
$$I = \frac{E}{R}$$

Magnetic Circuit



$$\phi_c = \frac{F}{R_c}$$

Magnetization Circuits with Air-Gap



$$\mathfrak{R}_c = \frac{l_c}{\mu_c A_c} \quad \mathfrak{R}_g = \frac{l_g}{\mu_g A_g} \quad \Phi = \frac{Ni}{\mathfrak{R}_c + \mathfrak{R}_g}$$

$$Ni = H_c l_c + H_g l_g \quad A_c = A_g = wd \text{ (Neglecting fringing)}$$

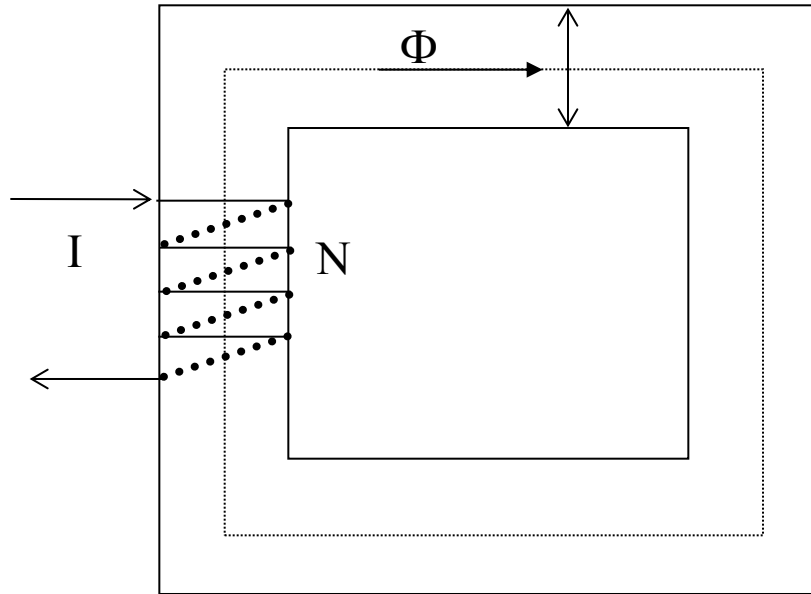
Inductance(L)

Definition: Flux Linkage(λ) per unit of current(I) in a magnetic circuit

$$L = \frac{\lambda}{I} = \frac{N\Phi}{I}$$

$$\Phi = \frac{NI}{\mathfrak{R}}$$

$$\therefore L = \frac{N^2}{\mathfrak{R}}$$



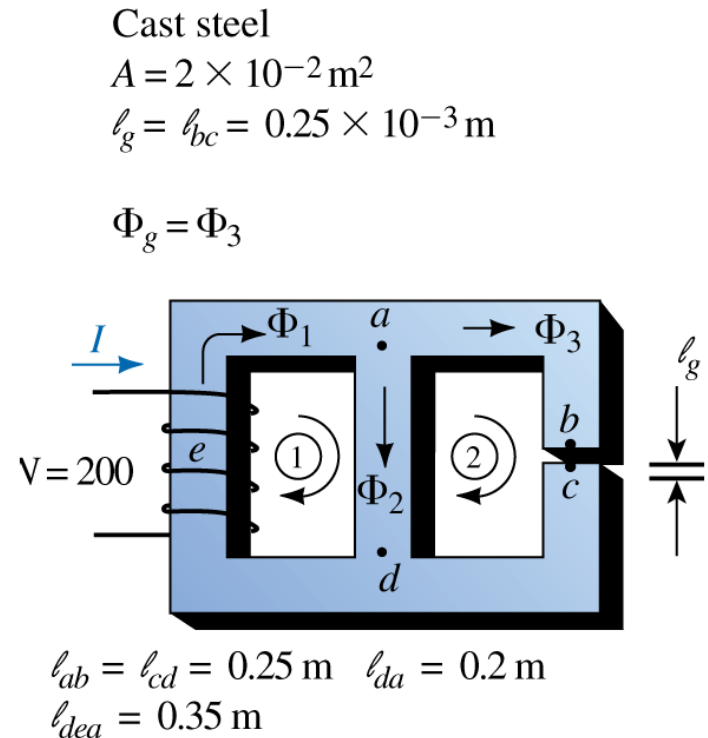
Thus inductance depends on the geometry of construction

Series Magnetic Circuits

- Solve a circuit where Φ is known
 - First compute B using Φ/A
 - Determine H for each magnetic section from B - H curves
 - Compute NI using Ampere's circuital law
 - Use computed NI to determine coil current or turns as required

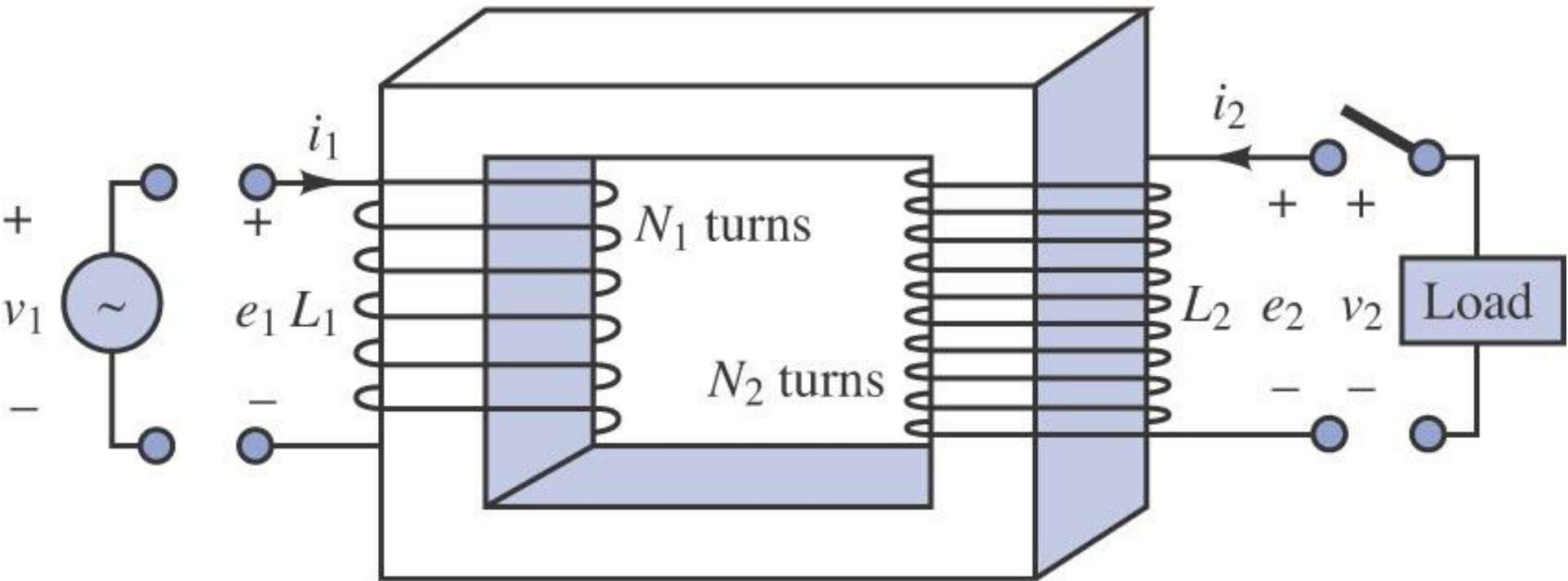
Series-Parallel Magnetic Circuits

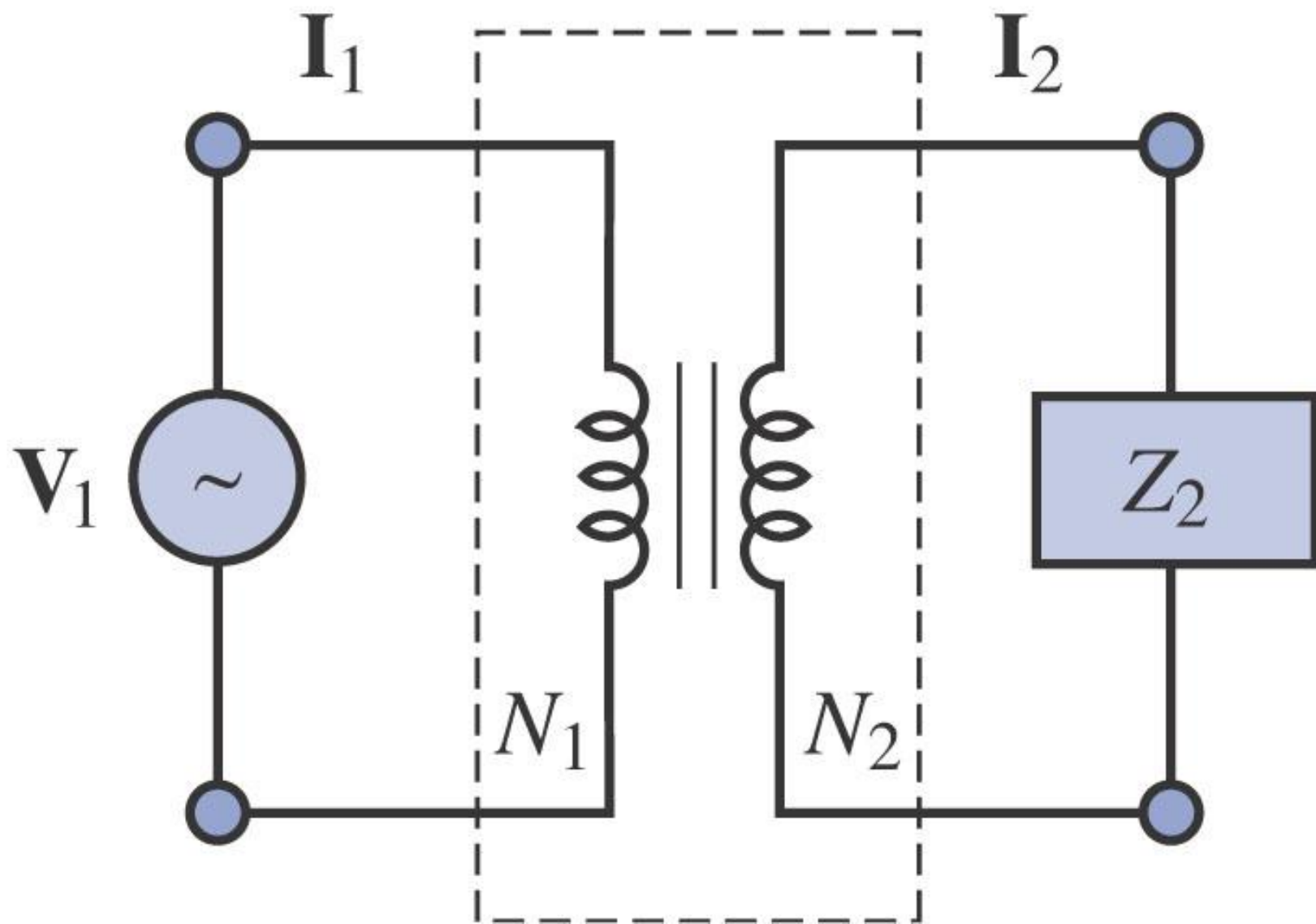
- Use sum of fluxes principle and Ampere's Law
- Find B and H for each section
- Then use Ampere's Law



Structure of Transformer

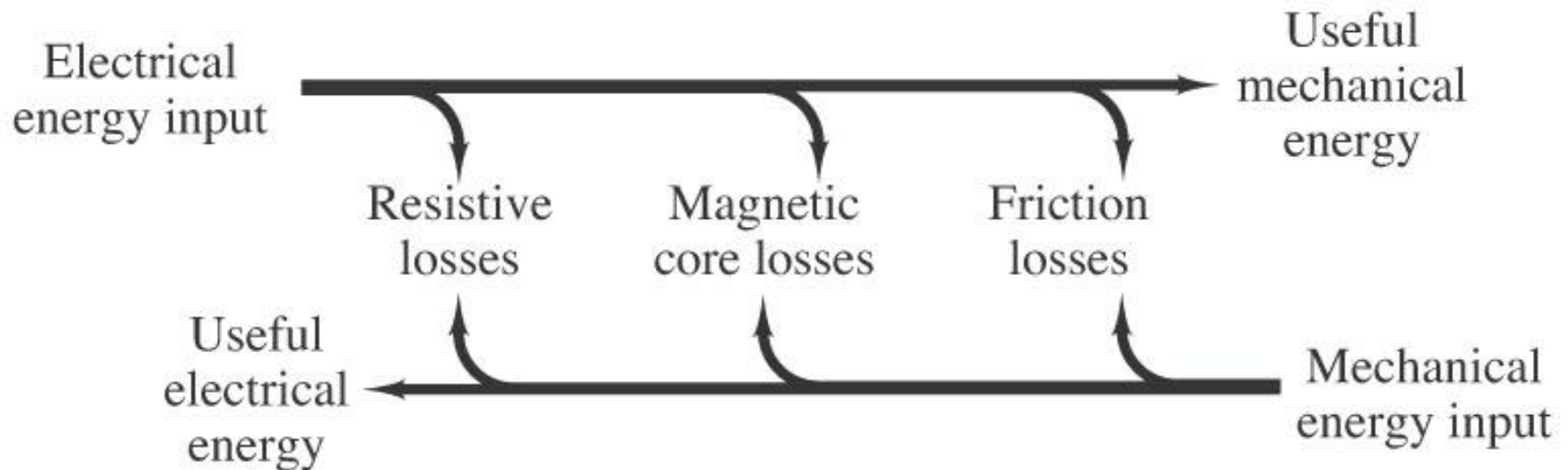
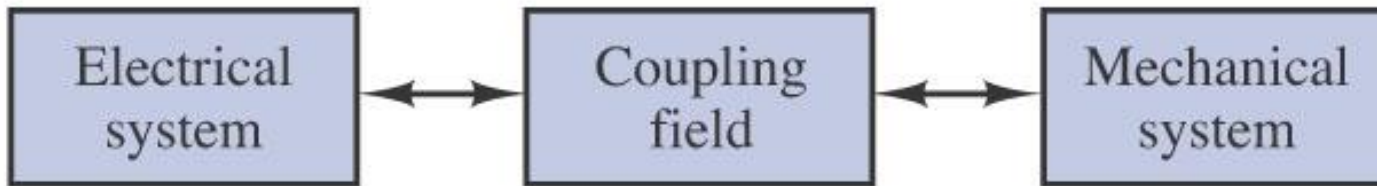
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Electromechanical Energy Conversion

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Reading

- Example 18.2
- Example 18.3
- Example 18.3
- Example 18.7